

A metal rod having electrical resistance $R = 0.410\Omega$ slides on rails as shown. Assume that the rails have no electrical resistance and together they all make a rectangular circuit of width $l = 55.0\text{cm}$ with the length changing as the rod moves. A magnetic field of magnitude $|\mathbf{B}| = 0.650\text{T}$ is in the direction normal to the rectangle and points out of the page. The bar is moving at a constant velocity of $|\mathbf{v}| = 5.80\text{m/s}$. (a) What is the magnitude of the current in the rectangular circuit? (b) What is the magnitude of the force required to keep the bar moving at this constant velocity?

(a) A Answer part (a)

(b) N Answer part (b)

Attempted part (a) 0 times and part (b) 0 times.

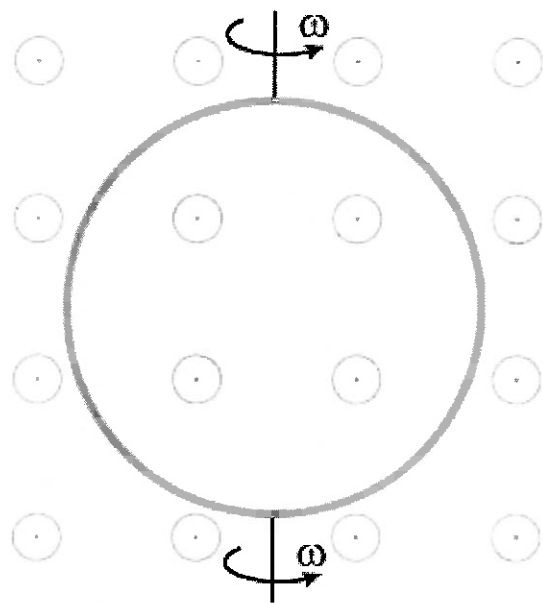
There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

a) $\mathcal{V} = -\frac{d\Phi_M}{dt}$ $\Phi_M = B l x$
 $\mathcal{V} = B l \frac{dx}{dt} = B l v$
 $I = \frac{\mathcal{V}}{R} = \frac{B l v}{R} = \frac{(0.65)(.55)(5.8)}{0.41}$
 $I = 5.06 \text{ AMPS}$

b) $F = B I l = (0.65)(.55)(5.06)$
 $F = 1.81 \text{ N}$

Problem #2



SO NOTE $\Phi_M = \pi r^2 B \cos \omega t$ AND SO

$\mathcal{V} = -\frac{d\Phi_M}{dt} = \pi r^2 B \omega \sin \omega t$

a) $\mathcal{V}_{PEAK} = \pi (.48)^2 (.95) 11$
 $= 7.56 \text{ VOLTS}$

A wire circle (radius $r = 48.0\text{cm}$) is rotates as shown in a constant $|\mathbf{B}| = 0.950\text{T}$ magnetic field. It does so with angular frequency $\omega = 11.0\text{rad/s}$ and has

resistance of 0.800Ω . Calculate (a) the peak emf and (b) the maximum current through the loop while rotating. At $t = 0$ the loop and magnetic field are oriented as depicted in the above diagram. At $t = 2.60\text{s}$, what are the magnitudes of the (c) emf and (d) current?

(a) V Answer part (a)

(b) A Answer part (b)

(c) V Answer part (c)

(d) A Answer part (d)

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$$b) I_{MAX} = \frac{V_{MAX}}{R} = \frac{7.56}{0.8} = 9.45 \text{ AMPS}$$

c) BE CAREFUL! ωt IN RADIANS.
 $V = V_{PEAK} \sin \omega t = 7.56 \sin(11.26)$
 $= 1636^\circ$

$$V = -2.13 \text{ V}$$

$$d) I = \frac{V}{R} = -2.67 \text{ AMPS}$$

Attempted part (a) 0 times, part (b) 0 times, part (c) 0 times, and part (d) 0 times.

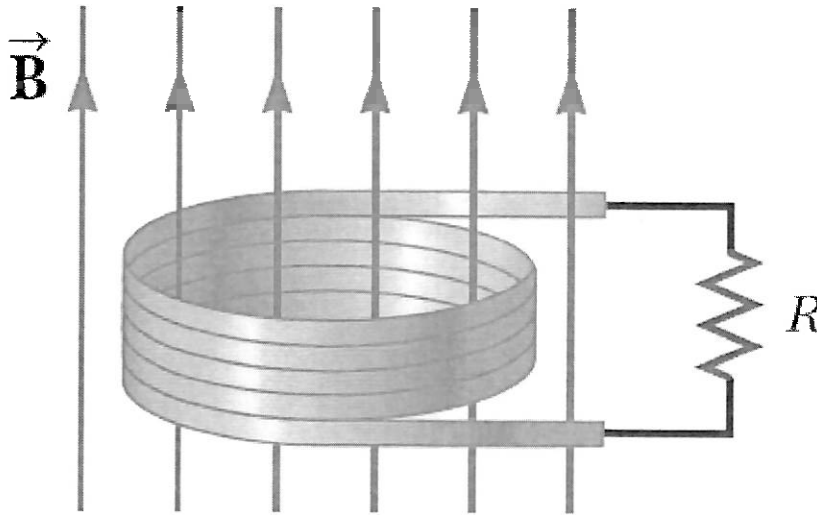
There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

There have been no attempts to answer part (c)

There have been no attempts to answer part (d)

Problem #3



A coil with $N = 381$ turns and no electrical resistance has a cross-sectional area $A = 22.0\text{cm}^2$. The wire ends are connect with resistor $R = 5.00\Omega$ as shown. It is all immersed in a uniform magnetic field $|\mathbf{B}| = 1.30\text{T}$ pointing upward and normal the cross-sectional area. The direction of the field then completely reverses its direction over a time interval of $\Delta t = 0.500\text{s}$. (a) What was the magnitude of the average current in the wire? (b) How much charge entered one end of the resistor during that time interval?

(a) Answer part (a)

(b) Answer part (b)

Submit

Attempted part (a) 0 times and part (b) 0 times.

There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

$$\phi_0 = \pi r^2 B = (22 \times 10^{-4} \text{ m}^2)(1.3)$$

$$\phi_0 = 0.00286$$

$$\Delta\phi = 2\phi_0 N$$

$$V = -\frac{\Delta\phi}{\Delta t} = \frac{2(0.00286)(381)}{0.5}$$

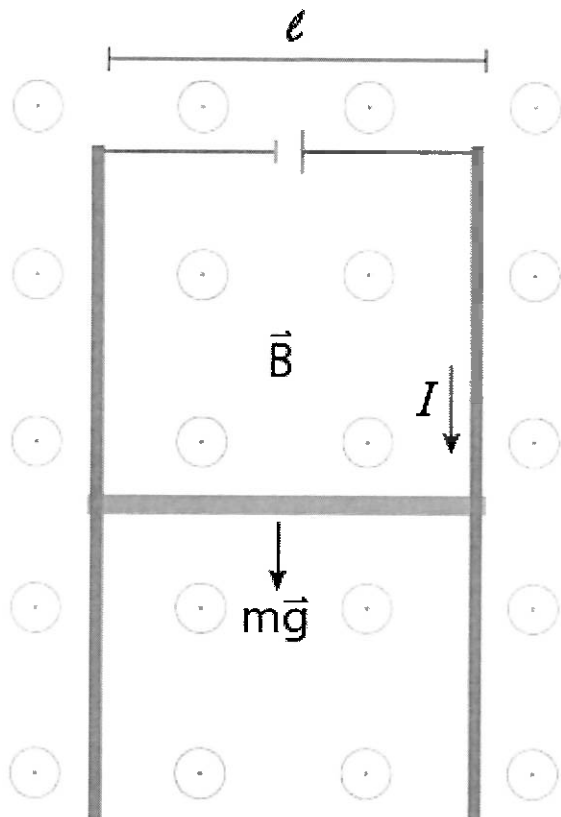
$$V = 0.0114 \text{ Volts}(381) = 4.34\text{V}$$

$$I = \frac{V}{R} = \frac{4.34}{5} = 0.869 \text{ AMPS}$$

$$b) Q = I\Delta t = (0.869)(0.5)$$

$$Q = 0.434 \text{ coulombs}$$

Problem #4



a) $\Sigma F = 0 \Rightarrow F_{MAG} = F_{GRAV}$
 $BIL = mg$
 $(1.2)I(0.78) = (0.23)(9.8)$
 $\Rightarrow I = 2.41 \text{ AMPS}$
~~so~~ $V = IR = (2.41)(1.1) = 2.65 \text{ Volts}$

A metal bar is allowed to slide along the vertical direction in a gravitational field, as shown. It has mass $m = 0.23\text{kg}$, and an electrical resistance of $R = 1.10\Omega$. It slides without friction on two perfectly conducting rails that are connected at one end by a power supply as illustrated. The two rails are separated by a distance $\ell = 78.0\text{cm}$. A magnetic field is perpendicular to the plane that the bar and rails make and has a magnitude of $|\mathbf{B}| = 1.20\text{T}$. (a) Suppose the initial velocity is zero, then What must the potential difference across the power supply be for the bar to stay at its current location (hint: chapter 29 material)? (b) Let us assume that we remove the power supply. The total force on the object will be $F_{tot} = F_{gravity} - F_{mag}$, and therefore, $m(dv/dt) = mg - I\ell B$. Substituting $IR = B\ell v$ into the differential equation gives $m(dv/dt) = mg - B^2\ell^2v/R$, which is an inhomogeneous differential equation. Upon solving this equation for the bar initially at rest, we find that $v = g\tau(1 - e^{-t/\tau})$ where $\tau = mR/B^2\ell^2$. What is the maximum velocity that the bar can achieve?

- (a) V Answer part (a)
- (b) m/s Answer part (b)

is $t \rightarrow \infty$
 $V_{MAX} = g\tau = \frac{g m R}{B^2 \ell^2}$
 $V_{MAX} = \frac{(9.8)(0.23)(1.1)}{(1.2)^2(0.78)^2}$
 $V_{MAX} = 2.83 \text{ m/s}$

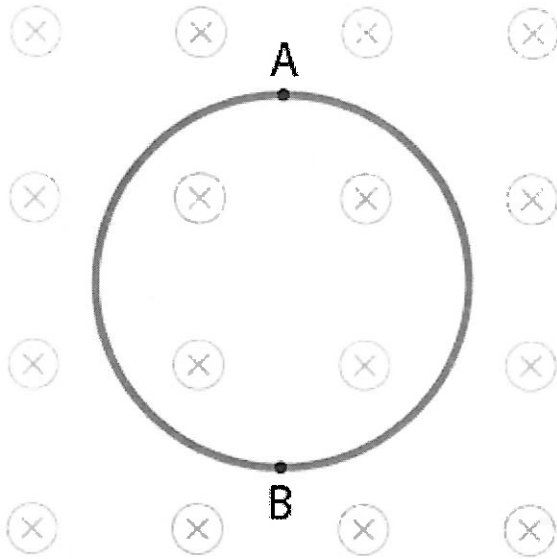
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Attempted part (a) 0 times and part (b) 0 times.

There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

Problem #5



$$\phi_0 = \pi r^2 B \quad \phi_{\text{FINAL}} = 0$$

$$\Delta\phi = -\pi r^2 B = \phi_{\text{FINAL}} - \phi_0$$

$$\mathcal{V} = -\frac{\Delta\phi}{\Delta t} = \frac{\pi r^2 B}{\Delta t}$$

$$\mathcal{V} = \frac{\pi (.41)^2 (.43)}{0.13} = \boxed{1.75 \text{ V}}$$

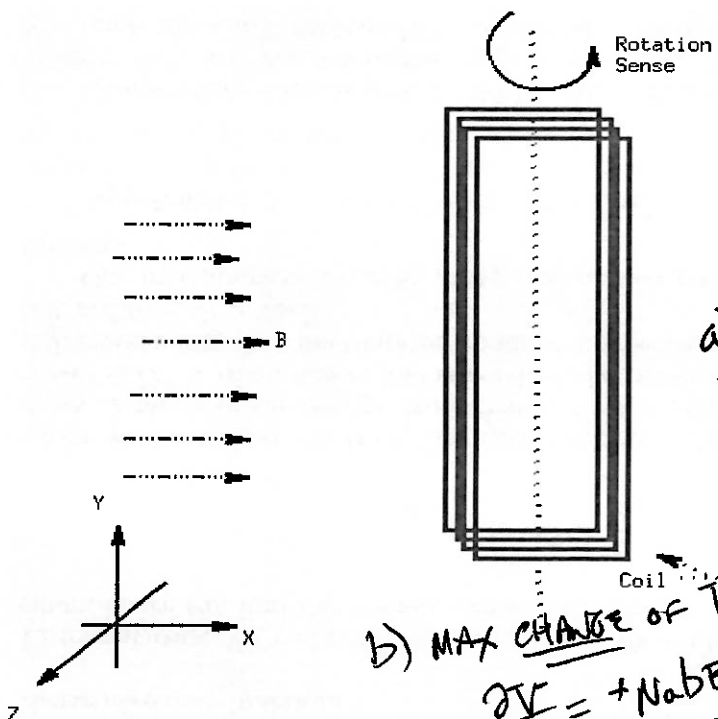
A conducting thin circular hoop is of radius of $r = 41.0\text{cm}$. Placed in a uniform magnetic field of strength $|\mathbf{B}| = 0.430\text{T}$ the loop is pulled at points A and B so as to collapse the hoop. If it takes 0.130s to close the loop then what is the magnitude of the average induced emf in it during that time interval?

v Answer the question

Attempted the problem 0 times.

There have been no attempts to answer the problem

Problem #6



$$\Phi_M = N a b B \cos \omega t$$

$$V = - \frac{d\Phi_M}{dt} = N a b B \omega \sin \omega t$$

$$V_{max} = 59 (0.12) (0.23) (8) = 15.63 \text{ VOLTS}$$

 b) MAX CHANGE OF V

$$\frac{\partial V}{\partial t} = + N a b B \omega^2 \sin \omega t$$

$$\text{MAX RATE OF CHANGE} = 59 (0.12) (0.23) (8)^2 = 125.1$$

A rectangular coil of $N = 59$ turns with side lengths of $a = 0.120\text{m}$ and $b = 0.230\text{m}$ that carries a resistance of $R = 11.0\Omega$ rotates with an angular speed of $\omega = 8.00\text{rad/s}$ about the y -axis in a magnetic field. The magnitude of the magnetic field is $|\mathbf{B}| = 1.20\text{T}$ and is oriented along the x -axis. We take $t = 0$ to be the time when the magnetic field is in the direction normal to the plane of the rectangle. Calculate (a) the maximum induced emf in the coil, (b) the maximum rate of change of the induced emf in the coil, (c) the maximum current in the coil, (d) the maximum rate of current change in the coil.

- (a) V Answer part (a)
- (b) V/s Answer part (b)
- (c) A Answer part (c)
- (d) A/s Answer part (d)

$$I_{max} = \frac{V_{max}}{R} = \frac{15.63}{11} = 1.42 \text{ AMPS}$$

$$\left. \frac{dI}{dt} \right|_{max} = \frac{1}{R} \frac{dV_{max}}{dt} = \frac{125.1}{11} = 11.37 \text{ A/s}$$

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Attempted part (a) 0 times, part (b) 0 times, part (c) 0 times, and part (d) 0

times.

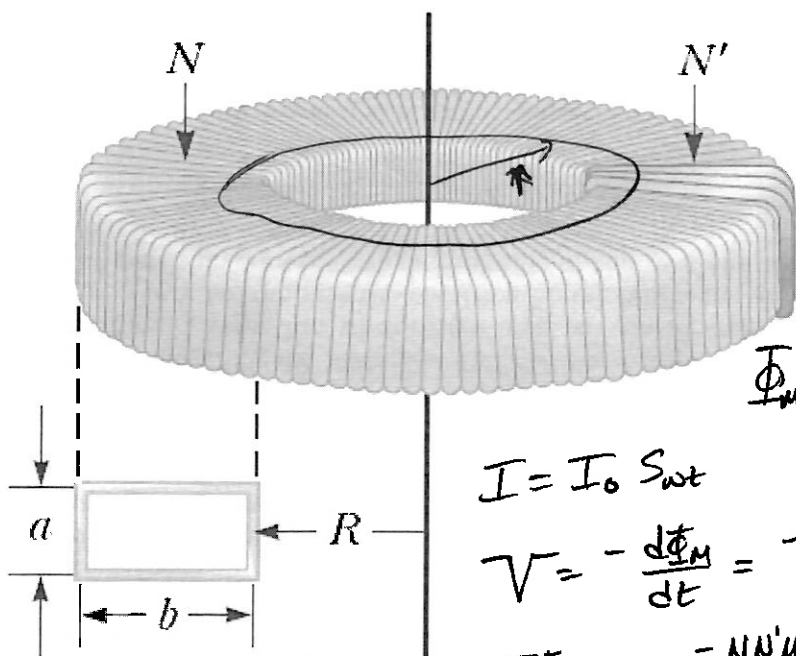
There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

There have been no attempts to answer part (c)

There have been no attempts to answer part (d)

Problem #7



CONSIDER LOOP OF RADIUS r SURROUNDING THE CENTRAL CORE. APPLY AMPERE'S LAW.

$$\int \vec{B} \cdot d\vec{\ell} = \mu_0 I_{enc}$$

$$B \cdot 2\pi r = \mu_0 N I \quad B(r) = \frac{\mu_0 N I}{2\pi r}$$

THESE COMPUTE MAGNETIC FLUX

$$\Phi_M = \int_{R+b}^R \vec{B} \cdot d\vec{A} = \int_{R+b}^R B(r) \cdot a \, dr \, N'$$

$$\Phi_M = \frac{\mu_0 N I a N'}{2\pi} \int_{R+b}^R \frac{dr}{r} = \frac{N' \mu_0 N I a}{2\pi} \ln\left(\frac{R+b}{R}\right)$$

$$I = I_0 \sin \omega t$$

$$\mathcal{V} = - \frac{d\Phi_M}{dt} = - \frac{N N' \mu_0 a}{2\pi} \ln\left(\frac{R+b}{R}\right) \cdot \frac{dI}{dt}$$

$$\mathcal{V} = - \frac{N N' \mu_0 a \omega}{2\pi} \ln\left(\frac{R+b}{R}\right) I_0 \cos \omega t$$

A toroid having a rectangular cross section ($a = 2.10\text{cm}$ by $b = 3.30\text{cm}$) and inner radius $R = 4.50\text{cm}$ consists of $N = 539$ turns of wire that carry a sinusoidal current $I = I_0 \sin(\omega t)$, with $I_0 = 49.0\text{A}$ and an angular frequency $\omega = 7.20\text{rad/s}$. A coil that consists of $N' = 21$ turns of wire is wrapped around one section of the toroid as shown in above figure. Determine the magnitude of the emf induced in the coil when $t = 0.860\text{s}$.

$$\mathcal{V} = \frac{(539)(21)(4\pi \times 10^{-7})(0.021)(7.2)(49.0)}{2\pi}$$

9.19

mV Answer the question

$$\times \ln\left(\frac{.045 + .033}{.045}\right) \cos(7.2(0.86))$$

RADIAN!!

Submit

$$\mathcal{V} = 0.0092 \cos(354.77^\circ)$$

Attempted the problem 0 times.

$$\mathcal{V} = 9.19 \times 10^{-3} \text{ V}$$

There have been no attempts to answer the problem

Problem #8

An electromagnet produces a uniform magnetic field of $|\mathbf{B}| = 1.30\text{T}$ over a cross-sectional area of $A = 0.210\text{m}^2$. A coil with $N = 190$ turns and a total resistance of $R = 19.00\Omega$ is placed around the electromagnet. The current in the electromagnet is then smoothly reduced until it reaches zero. What is the magnitude of the induced current when the time it takes to completely reduce the magnetic field is (a) $t = 18.0\text{ms}$. (b) What is the magnitude of the induced current, if instead, it takes $t = 10.0\text{ms}$?

(a) A Answer part (a)

(b) A Answer part (b)

Submit

Attempted part (a) 0 times and part (b) 0 times.

There have been no attempts to answer part (a)

There have been no attempts to answer part (b)

$$\Phi_m = NAB$$

$$\mathcal{V} = \frac{\Delta\Phi}{\Delta t} = \frac{NAB}{\Delta t}$$

$$I = \frac{\mathcal{V}}{R} = \frac{NAB}{R\Delta t}$$

$$a) I = \frac{(190)(0.21)(1.3)}{19(18 \times 10^{-3})}$$

$$I = 151.7 \text{ AMPS}$$

$$b) \text{ if } \Delta t = 10 \text{ ms} \Rightarrow$$

$$I = 273 \text{ AMPS}$$